



# Generation and interaction of shear inflow turbulence with a scaled horizontal axis tidal turbine

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# Introduction

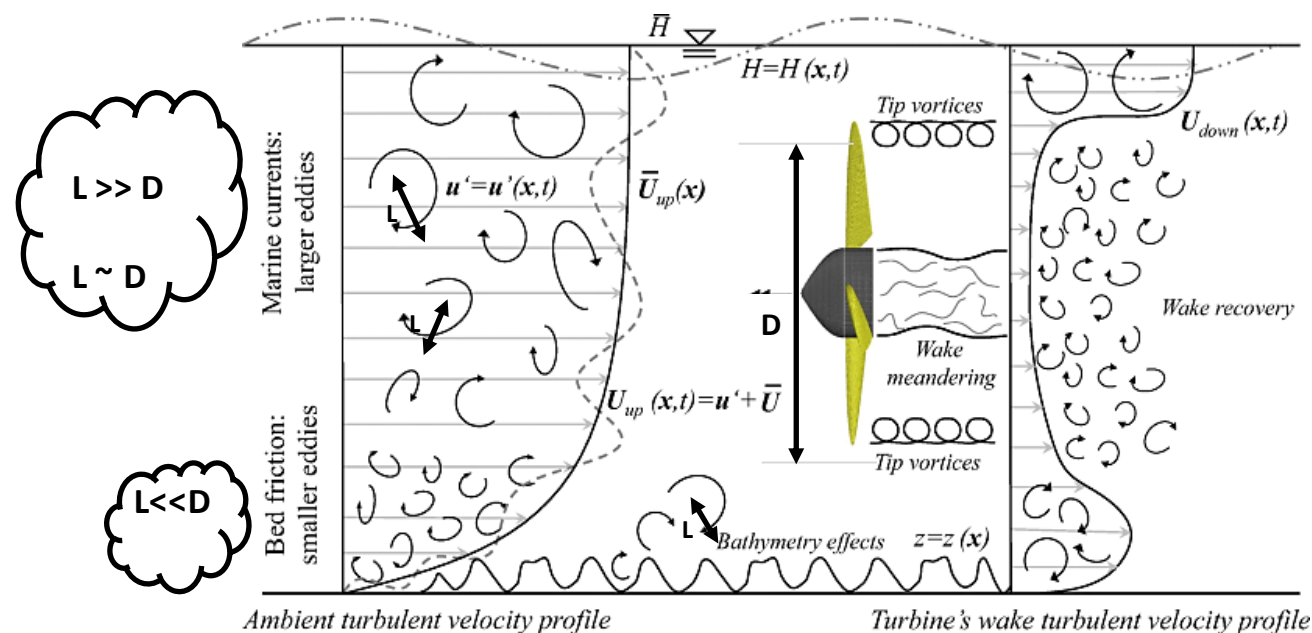


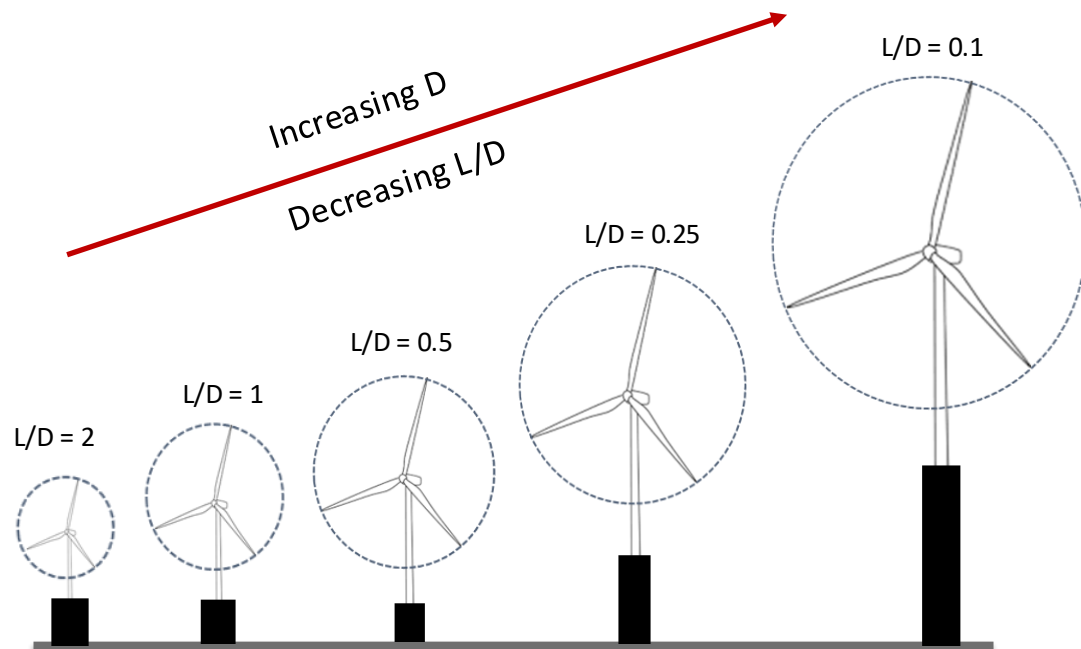
Figure taken from Ouro & Stoesser (2019)

- $L \ll D$  : Structures forming from sea bed with integral length scale ( $L$ ) smaller than turbine diameter ( $D$ )
- $L \geq D$  : Structures from the marine current and wave interaction having spatial correlation of  $D$  and larger
- **Turbulence** : Ambient turbulence is non-homogeneous and anisotropic with varying length scales
- **Velocity Profile** : Ambient inflow is non-uniform or shear profile

Ouro, P., Stoesser, T. Impact of Environmental Turbulence on the Performance and Loadings of a Tidal Stream Turbine. *Flow Turbulence Combust* **102**, 613–639 (2019)

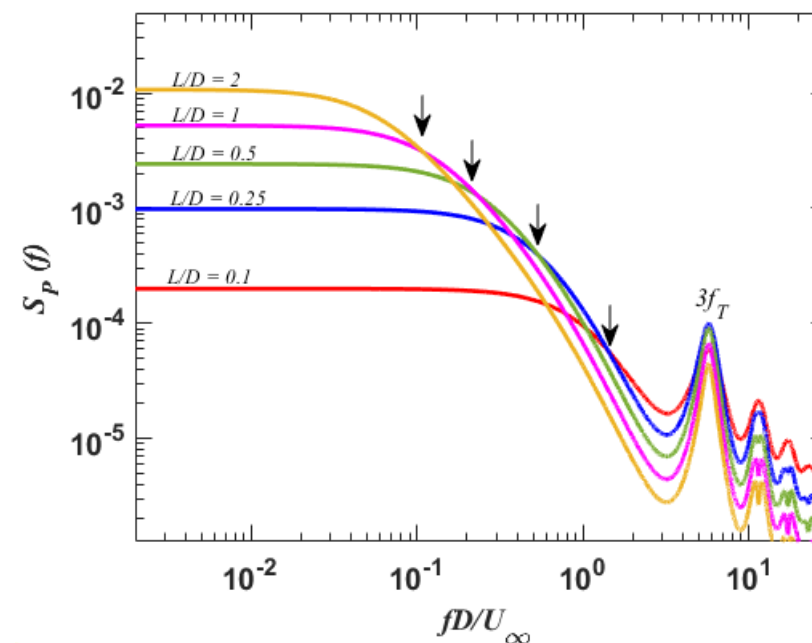


# Open Question Addressed



Turbine Power Spectral Model for HIT (Deskos et al. 2020)

$$S_p(f) = \left( \frac{3}{2} \rho (1-a)^2 \frac{dC_L}{d\alpha} U^2 \right)^2 \int_{-\infty}^{\infty} \int_0^R R_{11}(r_1, r_2, \tau) \exp(-i2\pi f \tau) c(r_1) c(r_2) \sqrt{\lambda^*(r_1)^2 + 1} \sqrt{\lambda^*(r_2)^2 + 1} dr_1 dr_2 d\tau$$



- Open Question**

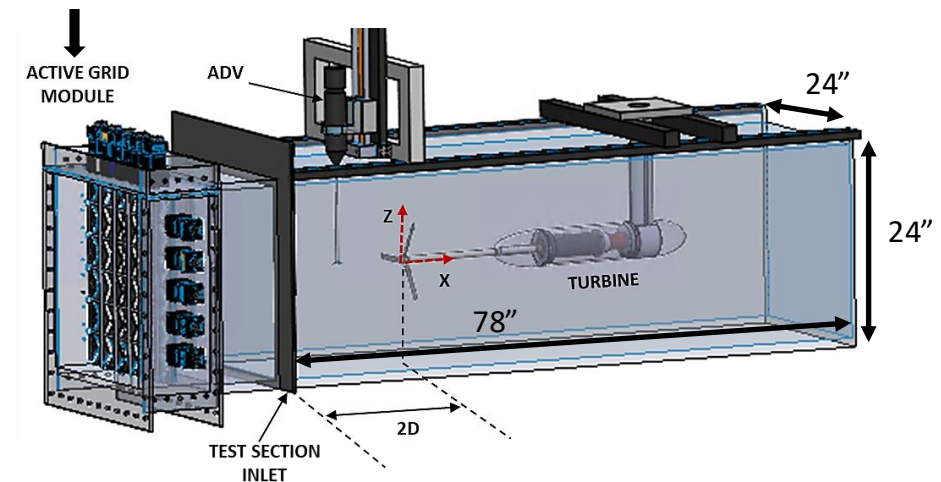
How does integral length scale in non-homogeneous/shear inflow drives power fluctuations?

Deskos, G., Payne, G. S., Gaurier, B., & Graham, M. (2020). On the spectral behaviour of the turbulence-driven power fluctuations of horizontal-axis turbines. *Journal of Fluid Mechanics*, 904, A13.

# Tidal Turbulence Testing Facility (T<sup>3</sup>F)

## • Water Tunnel with Active Grid

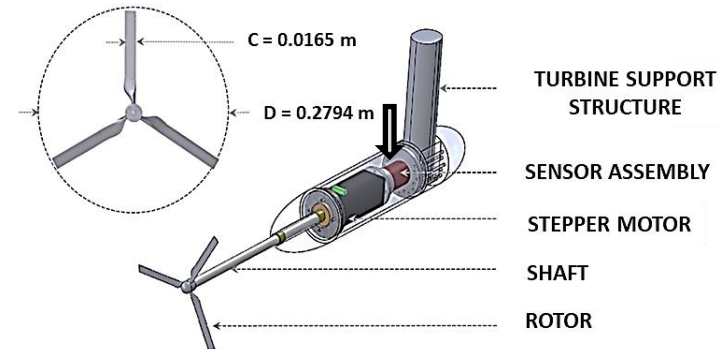
- The water tunnel test-section has a cross-section of 24" x 24" and 78" in length (~2m)
- Equipped with Makita-style active grid for turbulence generation and shear inflow



Recirculating Water Tunnel equipped with Active Grid

## • Tidal Turbine Model

- A 1:20 scaled of 5m diameter Verdant power turbine
- The turbine diameter is 11" (0.28m)
- Turbine blade profile of SG6043 with chord = 16.5mm
- Turbine is equipped with Torque and Thrust sensors
- The sampling frequency of sensors is 200Hz



1:20 scaled Tidal Turbine having D = 0.28m



Acoustic Doppler Velocimeter (ADV, 50Hz)

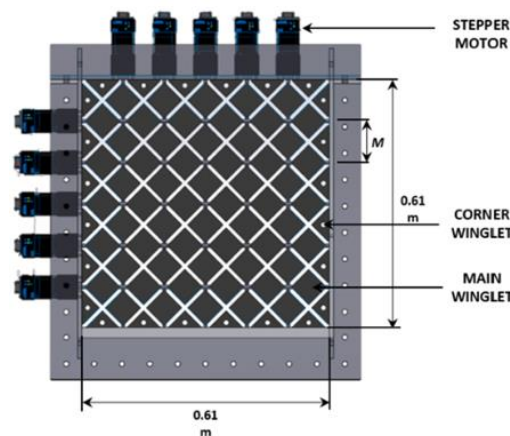
M. Hanzla & A. Banerjee, Spectral behavior of a horizontal axis tidal turbine in elevated levels of homogeneous turbulence, Applied Energy, Volume 380, 2025, 124842, ISSN 0306-2619

# Freestream Turbulence Generation Capabilities

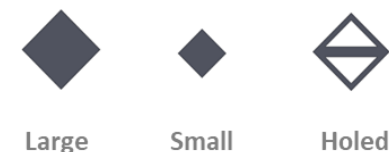
- Active Grid Configurations

- 10-shaft configurations – 5 horizontal and 5-vertical
- Each shaft is equipped with 6 diamond shape winglets
- Each shaft is separately controlled with stepper motor
- The stepper motor is programmed using LabVIEW
- There are 24 half winglets attached on the walls

10-shafts configuration



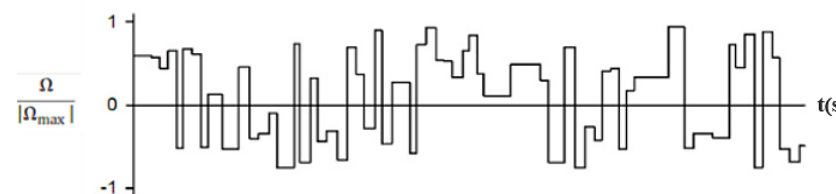
Winglet Types



- Active Grid Operating Protocols

- Stepper motor are programmed to operate in control
- Double random allows randomized shaft direction and angular speed

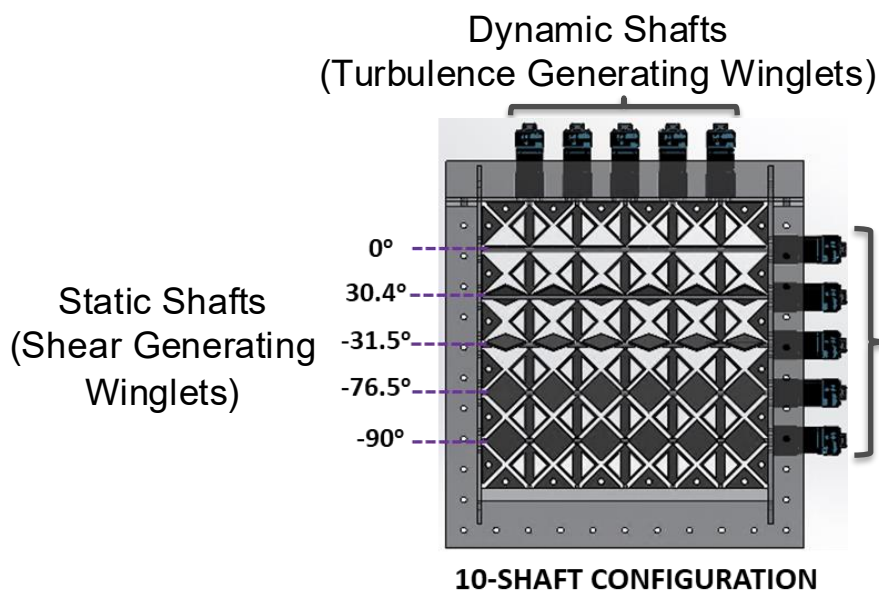
Double Random Protocol



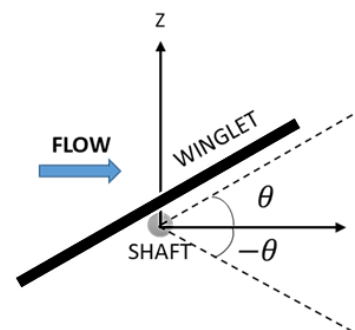
M. Hanzla & A. Banerjee, Spectral behavior of a horizontal axis tidal turbine in elevated levels of homogeneous turbulence, Applied Energy, Volume 380, 2025, 124842, ISSN 0306-2619



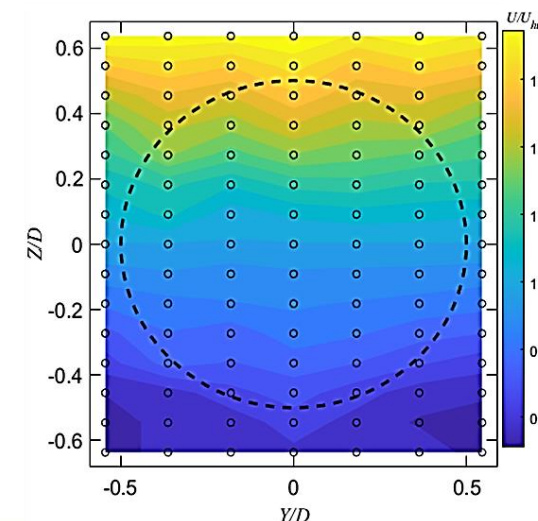
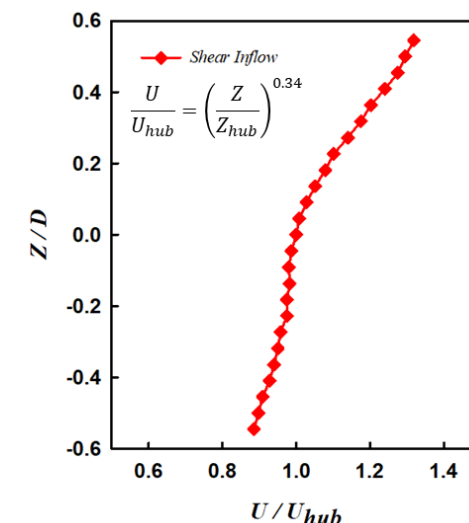
# Shear Inflow Turbulence Generation



Vertical Shafts – Double Random (DR)



Side View of Horizontal Shafts



## Grid Configuration for Shear Inflow

- Horizontal shafts are fixed at certain angles
- Vertical shafts are operated using DR protocol
- Horizontal shafts creates the non-uniformity
- Vertical shafts add turbulence and uniformity

# Cases Description And Characterization

Case Name	Active Grid	Protocol
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Quasi-laminar (QL)	No Grid	-	←
Dynamic Shear-Ti	Yes	DR at 1 Hz	←
Dynamic Shear-Ti-High L	Yes	DR at 0.1Hz	←

- Velocity Time Series – Reynolds Decomposition

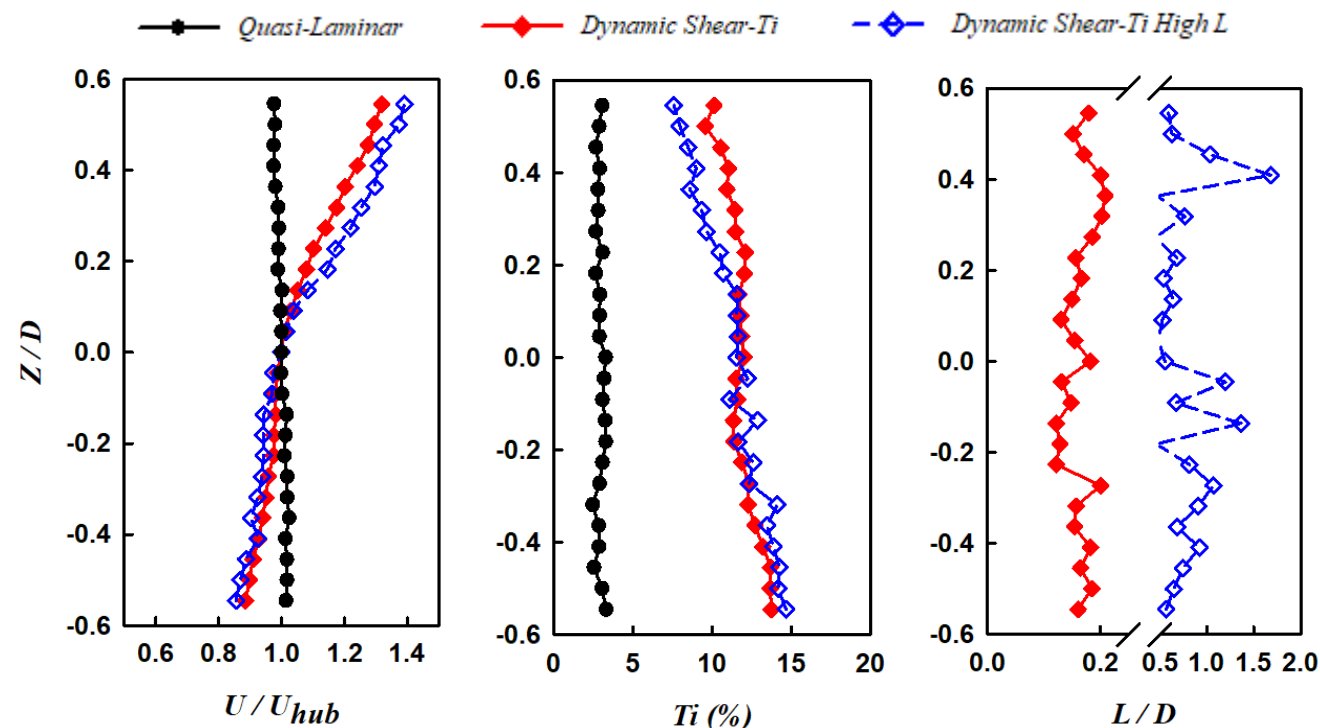
$$u(t) = U + u'(t)$$

- Turbulence Intensity

$$Ti(\%) = 100 \times \frac{\sqrt{u'^2}}{U}$$

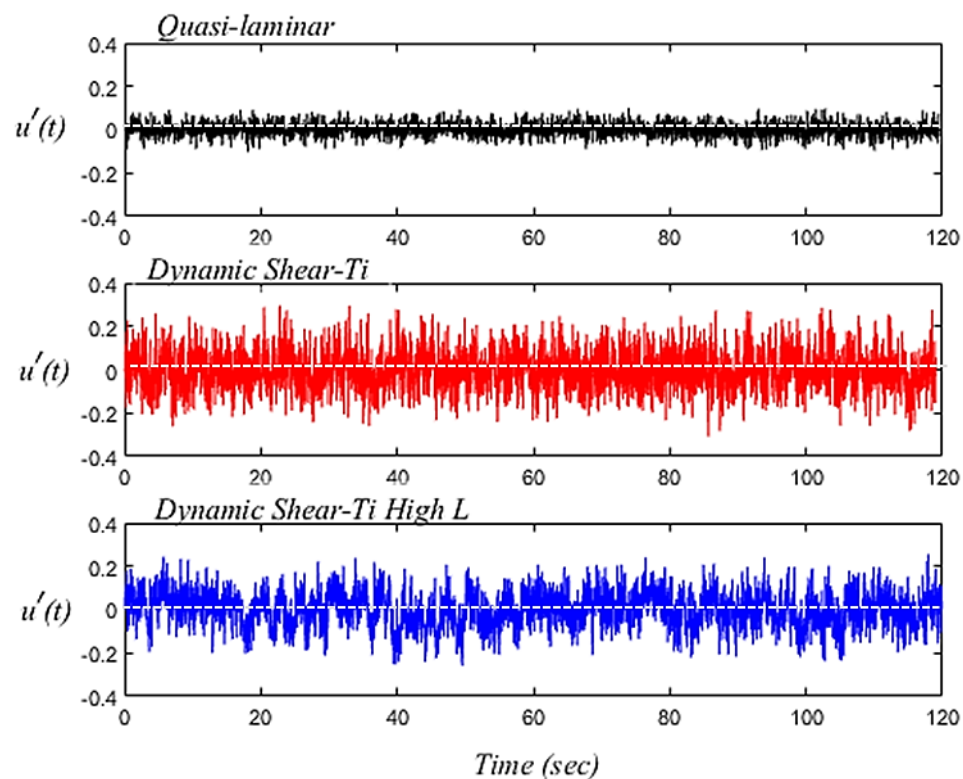
- Integral Length Scale

$$L/D = U \left( \int_0^\infty \frac{\overline{u'(t)u'(t+\tau)}}{u'^2(t)} d\tau \right) / D$$



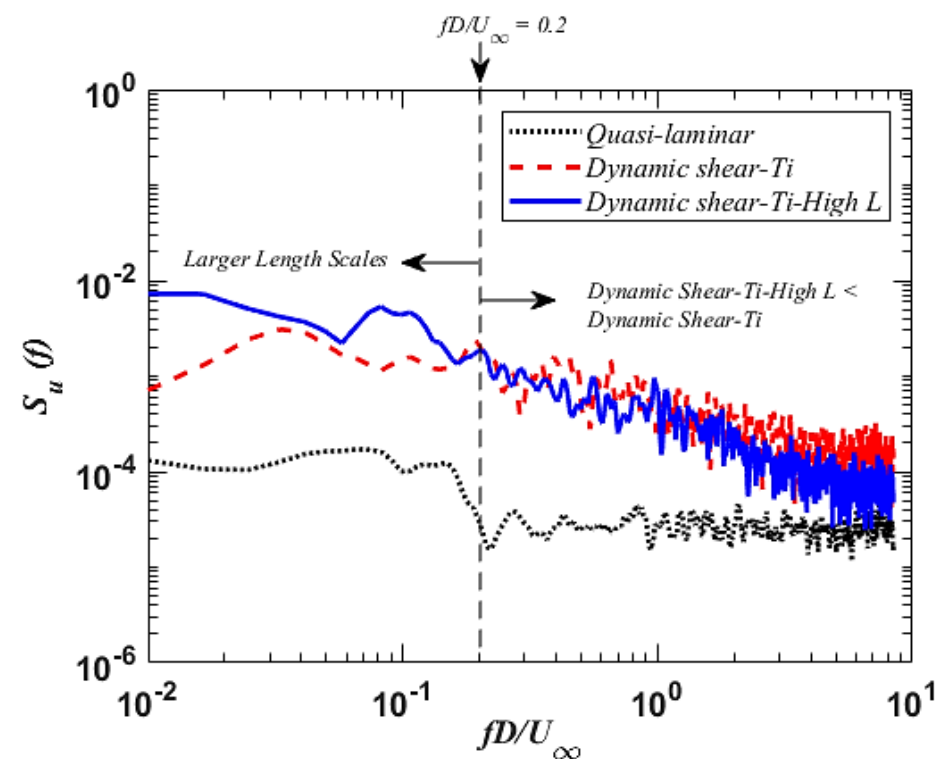
# Comparison of Velocity Spectra

- Velocity Fluctuations Time Series



- Power Spectral Density (PSD)

$$S_u(f) = \int_{-\infty}^{\infty} \overline{u'(t)u'(t+\tau)} e^{-i2\pi f\tau} d\tau$$





# Turbine Performance

$$\lambda = \frac{\omega D}{2U_{eq}} \quad C_p = \frac{Q\omega}{1/2\rho A_T U_{eq}^3} \quad C_T = \frac{T}{1/2\rho A_T U_{eq}^2}$$

$\lambda$  – Tip-speed ratio,  $C_p$  - Power Coefficient,  $C_T$  - Thrust Coefficient

$\omega$ - Angular Speed (rad/s)

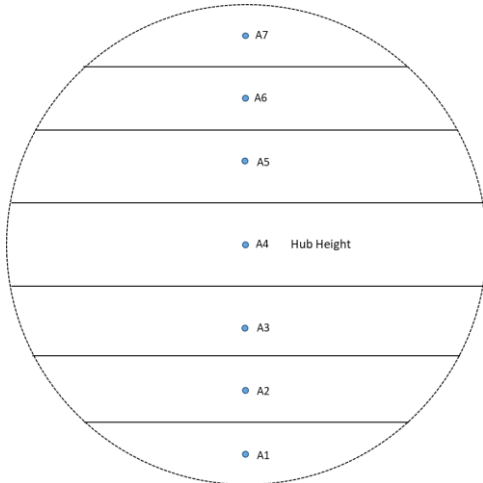
$U_{eq}$  - Equivalent Velocity (m/s)

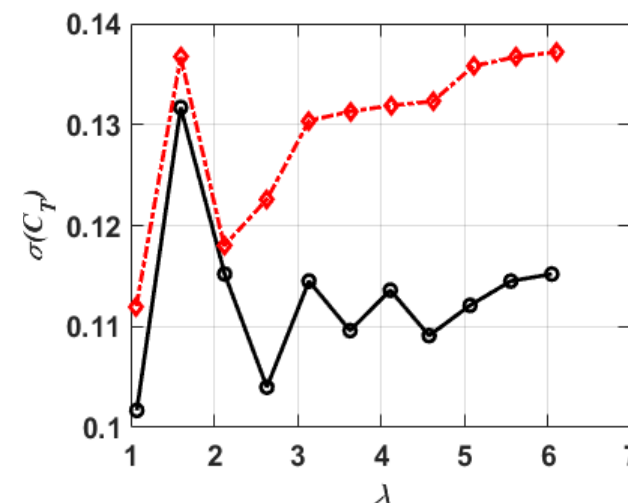
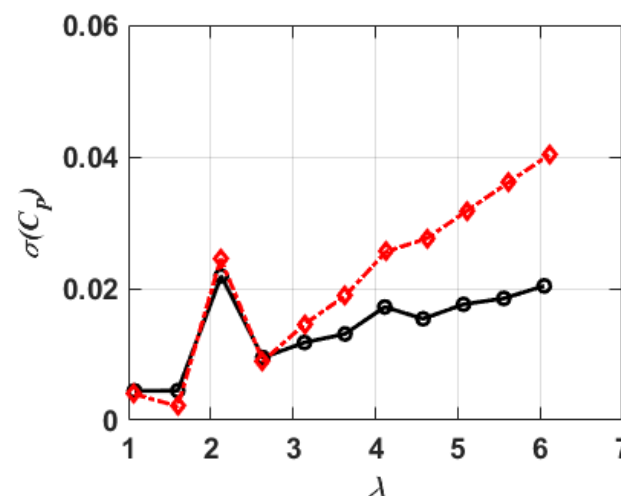
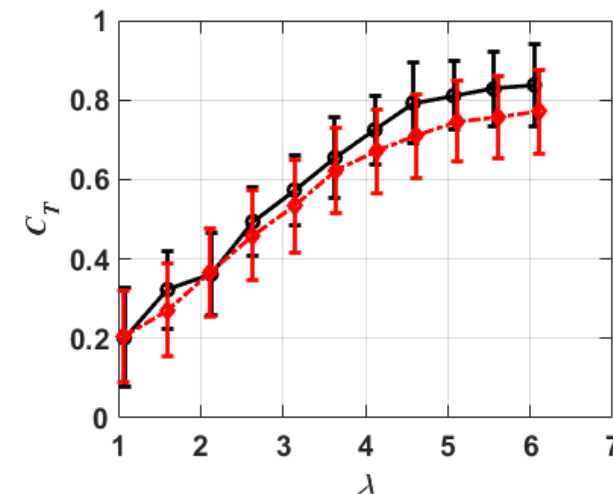
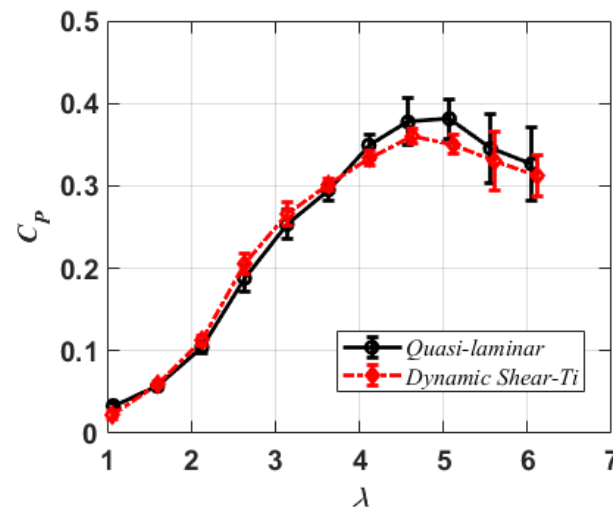
$A_T$  – Rotor Area (m<sup>2</sup>)

Q – Torque (N-m)

$\rho$  – Density (kg/m<sup>3</sup>)

T – Thrust (N)

$$U_{eq} = \left( \frac{1}{A_T} \sum_{i=1}^{N=7} A_i U_i^3 \right)^{1/3}$$




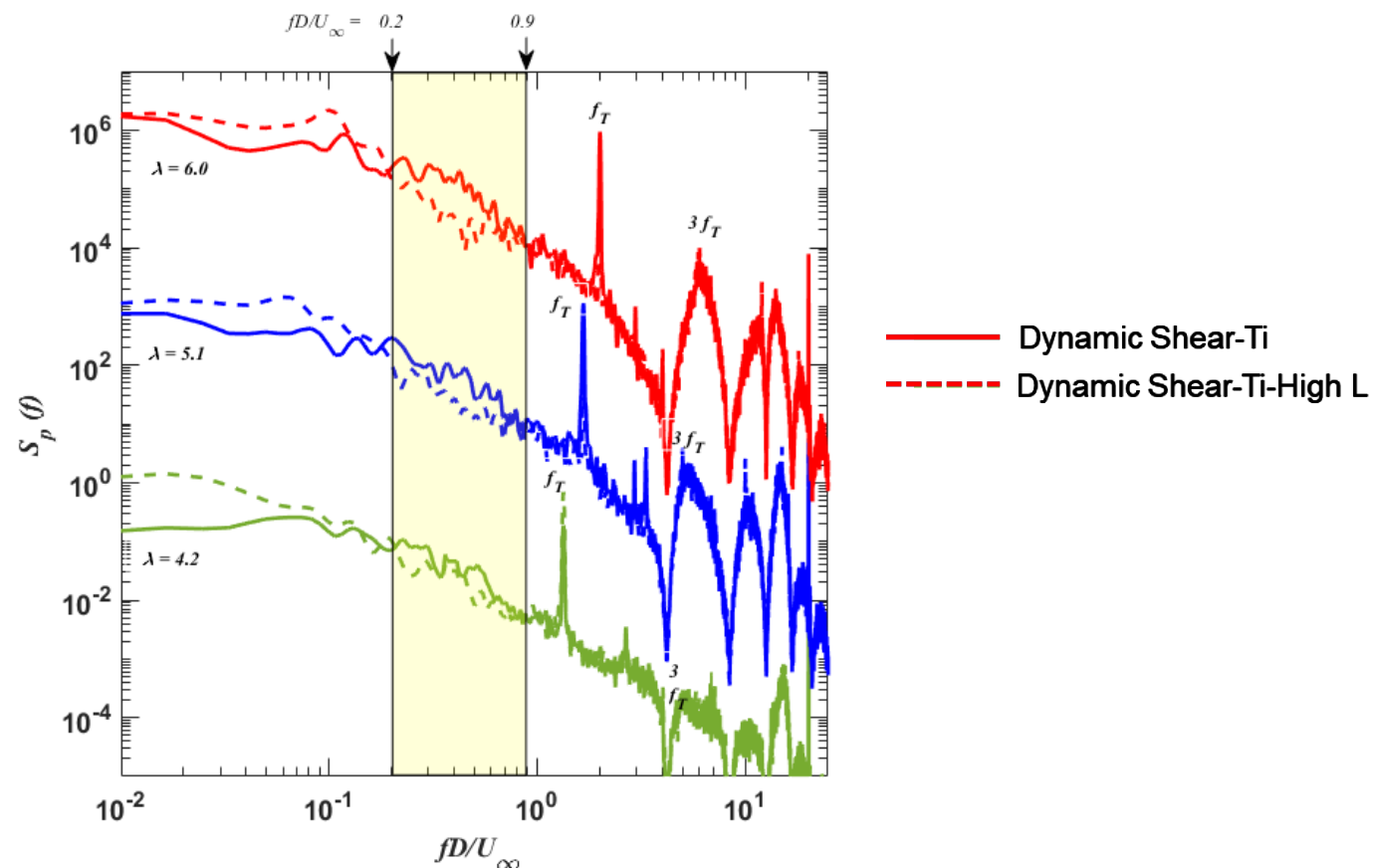
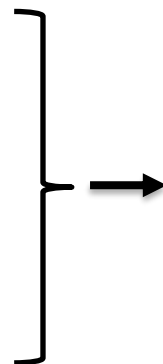
A. Vinod, A. Banerjee, Performance and near-wake characterization of a tidal current turbine in elevated levels of free stream turbulence, Applied Energy, Volume 254,2019,113639,ISSN 0306-2619

# Effect of Integral Length Scale on Turbine Power Spectra

$$P'(t) = Q'(t)\omega$$

$$S_P(f) = \int_{-\infty}^{\infty} \overline{p'(t)p'(t+\tau)} e^{-i2\pi f\tau} d\tau$$

where  $S_P$  is the PSD

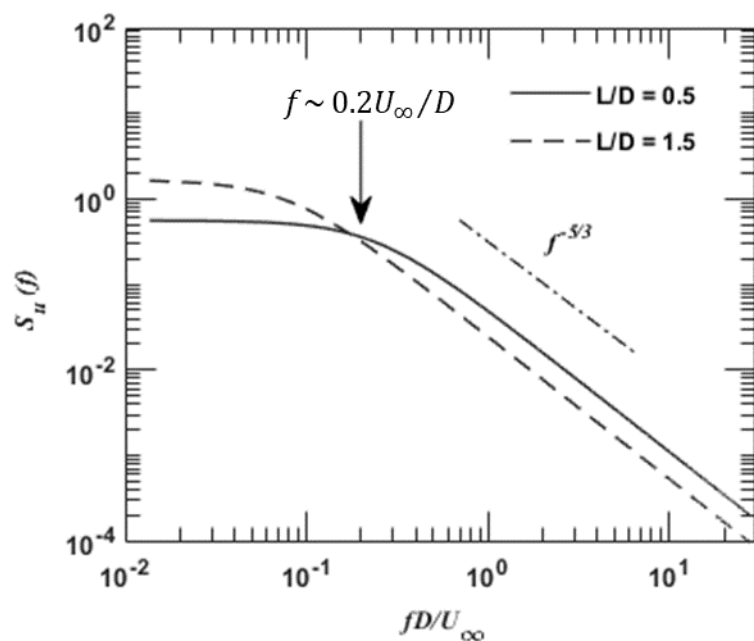


M. Hanzla & A. Banerjee, Spectral behavior of a horizontal axis tidal turbine in elevated levels of homogeneous turbulence, Applied Energy, Volume 380, 2025, 124842, ISSN 0306-2619

# Spectral Analysis: Explanation using Semi-analytical Model

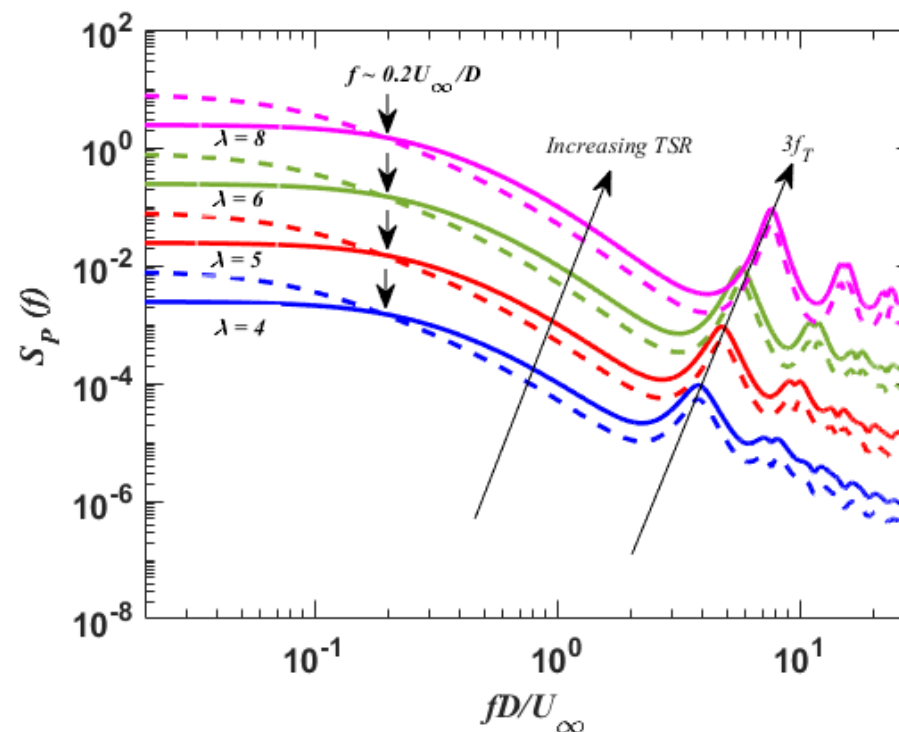
Von Karman Turbulence Spectrum:

$$S_u(f) = \frac{4\overline{u'^2} L/U}{[1 + 70.8(f L/U)^2]^{5/6}}$$



Turbine Spectral Model for HIT (Deskos et al. 2020)

$$S_P(f) = \left( \frac{3}{2} \rho (1-a)^2 \frac{dC_L}{d\alpha} U^2 \right)^2 \int_{-\infty}^{\infty} \int_0^R R_{11}(r_1, r_2, \tau) \exp(-i2\pi f \tau) c(r_1) c(r_2) \sqrt{\lambda^*(r_1)^2 + 1} \sqrt{\lambda^*(r_2)^2 + 1} dr_1 dr_2 d\tau$$





## Conclusions

- The turbine performance drops in presence of shear and elevated-turbulence
- As integral length scale is increased, the turbine power spectra shifts to lower frequencies
- The spectral amplitude drops in the mid-frequency region ( $0.2-0.9U_{\infty}/D$ ) for larger length scale at all tip-speed ratios when compare to smaller length scale
- Analytical explanation is provided for the experimentally obtained results

## AMEC Member Universities

